COMPUTATIONAL PROTEOMICS AND METABOLOMICS

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9. Protein Inference



Overview

- The protein inference problem
 - Isoforms and protein groups
 - Problem definition
- Protein inference algorithms
 - ProteinProphet
- Protein false discovery rates
 - Difference between PSM FDR and protein FDR
 - Computing protein FDRs
 - MAYU

LEARNING UNIT 9A PROTEIN INFERENCE PROBLEM

- Problem definition
- Protein families
- Protein ambiguity groups
- Inference through quantification
- Significance of inferred hits
- One hit wonders

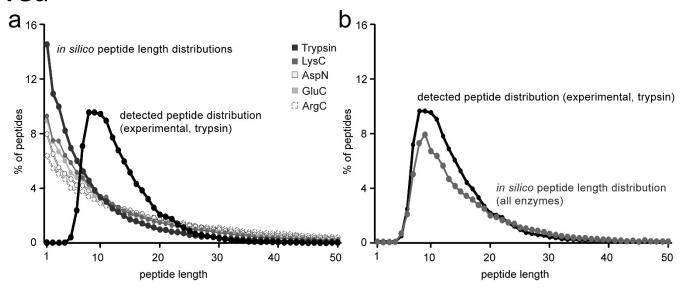


Identifying Proteins

- Identification methods so far only identify peptidespectrum matches (PSMs)
 - Search a database
 - Return a ranked list of PSMs with associates scores
- PSM false discovery rates (FDRs) can be computed through a target-decoy approach
- An FDR of 1% would mean that 1% of the PSMs with a score above the threshold are expected to be incorrect
- Note that this is a statement on the individual PSM, not per peptide or protein!

Identifying Proteins

- Each PSM above the threshold contributes
 - a match of a spectrum to a peptide
 - a match of a peptide to a protein
- Peptides are not necessarily unique!
- Length distribution of observed peptides deviates from theoretical distribution: short peptides (length 6 and shorter) are usually not observed

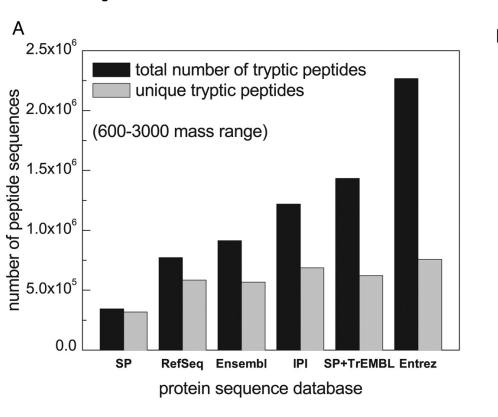


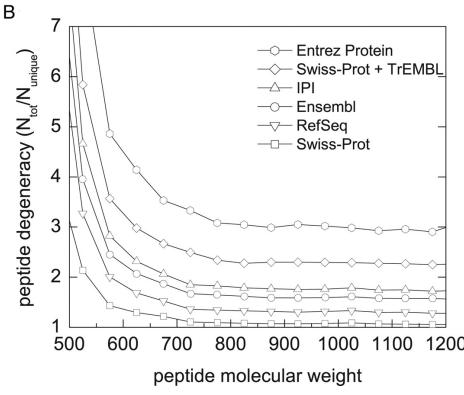
Danielle L. Swaney; Craig D. Wenger; Joshua J. Coon; J. Proteome Res. 2010, 9, 1323-1329.

Uniqueness

- If we are interested in proteomics (in contrast to peptide identification in metabolomics, MHC ligandomics etc.), we want to quantify proteins
- Non-unique peptide sequences can stem from different proteins
- Obviously, uniqueness depends on the chosen database
- Uniqueness becomes more likely for longer peptide sequences
- Reasons for non-uniqueness
 - Chance hits
 - Different isoforms
 - Conserved regions shared within a protein family

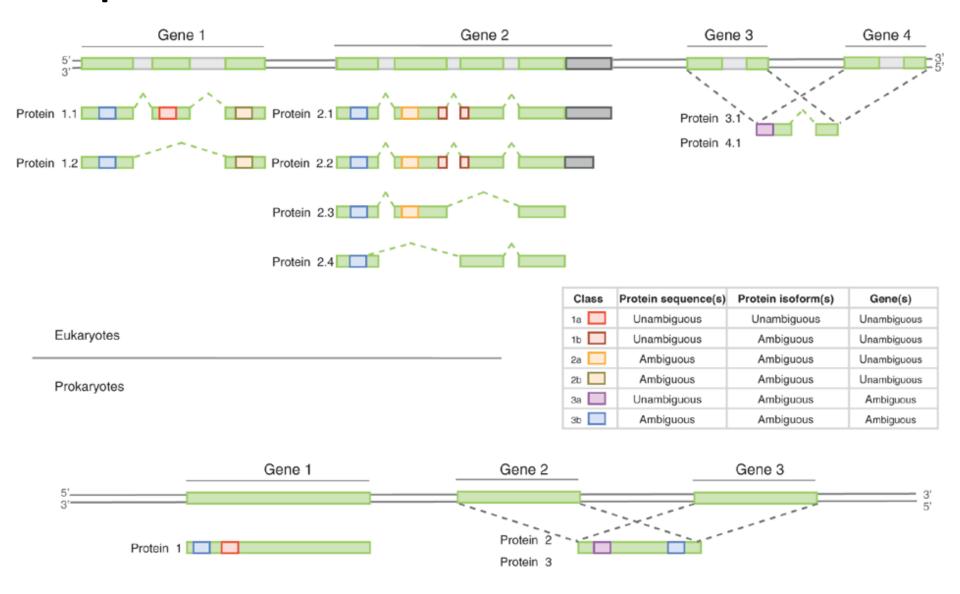
Uniqueness





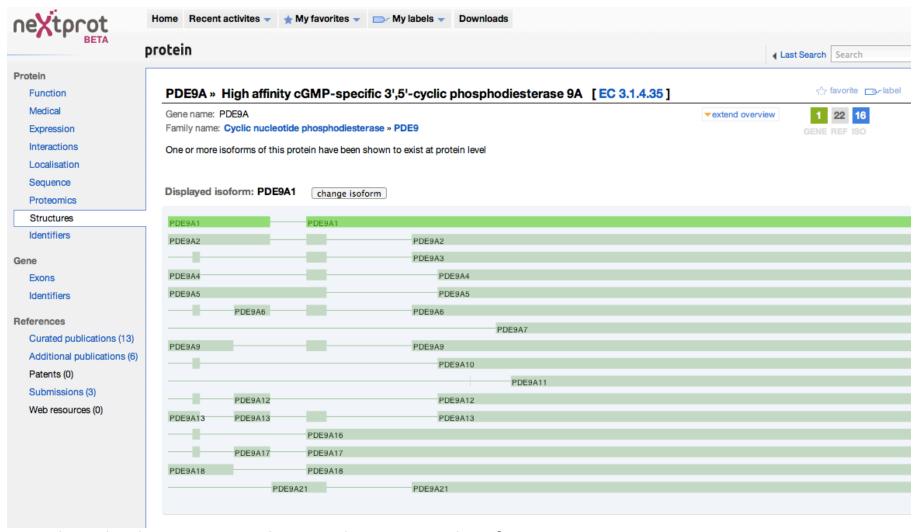
- Uniqueness depends on the size of the database
- Searching an appropriate (non-redundant) database is thus preferable
- Reference databases (SwissProt) usually contain few degenerate (non-unique) tryptic peptides above a mass of 750 Da
- Problem: isoforms of proteins/splice variants!

Uniqueness



www.nextprot.org/db/statistics/release?viewas=numbers

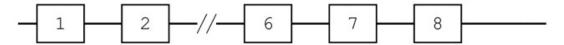
- NextProt Release 3.0.20
 - 20,140 human proteins
 - 39,565 sequences resulting from alternative isoforms
- On average 2.96 different splice variants for each protein sequence
- Some proteins have a much larger number of variants
- Resolving the different isoforms is only possible, if peptides crossing the right exon boundaries are observed



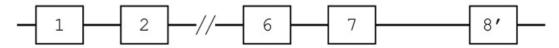
- phosphodiesterase 9A has 16 documented isoforms
- Peptides stemming from the second half of the sequence are entirely indistinguishable between isoforms
 http://www.nextprot.org/db/entry/NX_076083/structures

A Gene CAPZB

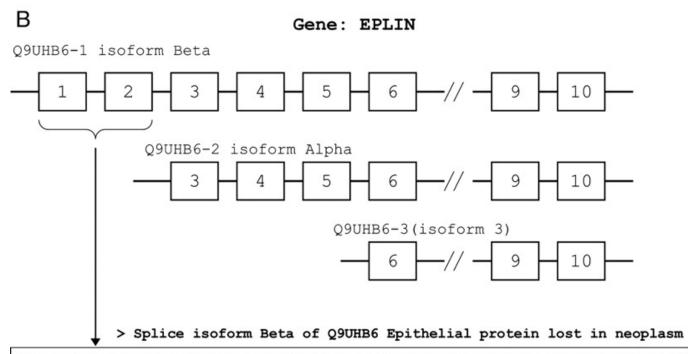
>IPI00026185 IPI:IPI00026185.4|Swiss-Prot:P47756-1|ENSEMBL:ENSP00000264202 Tax Id=9606 Splice isoform 1 of P47756 F-actin capping protein beta subunit



>IPI00218782 IPI:IPI00218782.1|Swiss-Prot:P47756-2|ENSEMBL:ENSP00000264203 Tax Id=9606 Splice isoform 2 of F-actin capping protein beta subunit



- P47756-1: MSDQQLDCALDLMRRLPPQQIEKNLSDLIDLVPSLCEDLLSSVDQPLKIARDKVVGKDYL 60
 MSDQQLDCALDLMR**RLPPQQIEK**NLSDLIDLV**PSLCEDLLSSVDQPLK**IARDKVVGK**DYL**
- P47756-2: MSDQQLDCALDLMRRLPPQQIEKNLSDLIDLVPSLCEDLLSSVDQPLKIARDKVVGKDYL 60
- P47756-1: LCDYNRDGDSYRSPWSNKYDPPLEDGAMPSARLRKLEVEANNAFDQYRDLYFEGGVSSVY 120
 LCDYNRDGDSYRSPWSNKYDPPLEDGAMPSARLRKLEVEANNAFDQYRDLYFEGGVSSVY
- P47756-2: LCDYNRDGDSYRSPWSNKYDPPLEDGAMPSARLRKLEVEANNAFDOYRDLYFEGGVSSVY 120
- P47756-1: LWDLDHGFAGVILIKKAGDGSKKIKGCWDSIHVVEVQEKSSGRTAHYKLTSTVMLWLQTN 180
 - LWDLDHGFAGVILIKKAGDGSKKIK**GCWDSIHVVEVQEK**SSGRTAHYKLTSTVMLWLQTN
- P47756-2: LWDLDHGFAGVILIKKAGDGSKKIKGCWDSIHVVEVQEKSSGRTAHYKLTSTVMLWLQTN 180
- P47756-1: KSGSGTMNLGGSLTRQMEKDETVSDCSPHIANIGRLVEDMENKIRSTLNEIYFGKTKDIV 240
- KSGSGTMNLGGSLTRQMEKDETVSDCSPHIANIGRLVEDMENKIRSTLNEIYFGKTKDIV
 P47756-2: KSGSGTMNLGGSLTROMEKDETVSDCSPHIANIGRLVEDMENKIRSTLNEIYFGKTKDIV 240
- P47756-1: NGLRSIDAIPDNOKFKOLORELSOVLTORO 270
 - NGLRS+ D K + L+ +L + L ++Q
- P47756-2: NGLRSVQTFADKSKQEALKNDLVEALKRKQ 270



MESSPFNRRQWTSLSLRVTAKELSLVNKNKSSAIVEIFSKYQKAAEETNMEKKRSNTENLSQHFRKGTLTVLKKKWENPG
LGAESHTDSLRNSSTEIRHRADHPPAEVTSHAASGAKADQEEQIHPRSRLRSPPEALVQGRYPHIKDGEDLKDHSTESKK
MENCLGESRHEVEKSEISENTDASGKIEKYNVPLNRLKMMFEKGEPTQTKILRAQSRSASGRKISENSYSLDDLEIGPGQ
LSSSTFDSEKNESRRNLELPRLSETSIKDRMAKYQAAVSKQSSSTNYTNELKASGGEIKIHKMEQKENVPPGPEVCITHQ
EGEKISANENSLAVRSTPAEDDSRDSQVKSEVQQPVHPKPLSPDSRASSLSESSPPKAMKKFQAPARETCVECQKTVYPM
ERLLANQQVFHISCFRCSYCNNKLSLGTYASLHGRIYCKPHFNQLFKSKGNYDEGFGHRPHKDLWASKNENEEILERPAQ
LANARETPHSPGVEDAPIAKVGVLAASMEAKASSQQEKEDKPAETKKLRIAWPPPTELGSSGSALEEGIKMSKPKWPPED
EISKPEVPEDVDLDLKKLRRSSSLKERSRPFTVAASFQSTSVKSPKTVSPPIRKGWSMSEQSEESVGGRVAERKQVENAK
ASKKNGNVGKTTWQNKESKGETGKRSKEGHSLEMENENLVENGADSDEDDNSFLKQQSPQEPKSLNWSSFVDNTFAEEFT
TONQKSQDVELWEGEVVKELSVEEQIKRNRYYDEDEDEE

Protein Families

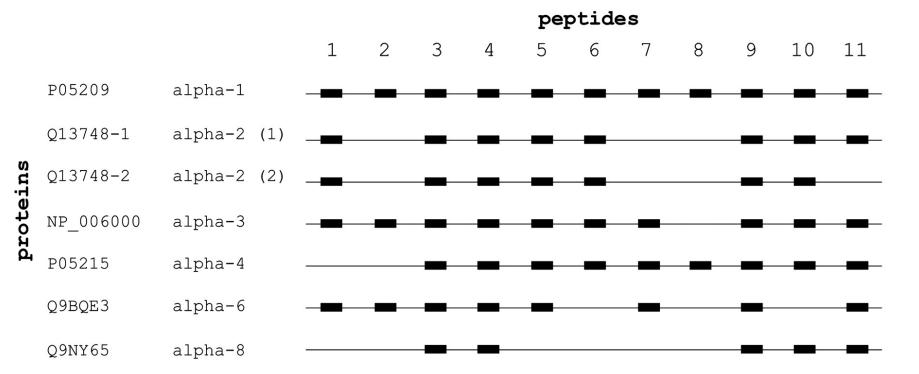
- Sequence coverage is often poor in large scale studies: many proteins are identified through very few peptides only
- In prokaryotes, typically over 90% of the identified peptides are unique in the whole proteome
- In particular in eukaryotes the large number of orthologs leads to significant sequence identity between different proteins that are not isoforms
- In eukaryotes, the number of unique identified peptides can thus easily drop below 50% (Gupta & Pevzner, 2009)

Protein Families

Peptides identified:

| 1 | TIGGGDDSFNTFFSETGAGK | 5 | IHFPLATYAPVISAEK | 9 | VGINYQPPTVVPGGDLAK |
|---|-----------------------|---|--------------------------|----|--------------------|
| 2 | AVFVDLEPTVIDEVR | 6 | AYHEQLSVAEITNACFEPANQMVK | 10 | AVCMLSNTTAIAEAWAR |
| 3 | QLFHPEQLITGKEDAANNYAR | 7 | YMACCLLYR | 11 | LDHKFDLMYAK |
| 4 | NLDIERPTYTNLNR | 8 | SIQFVDWCPTGFK | | |

Assignment of peptides to proteins:



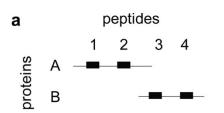
Parsimony-Based Inference

- Idea
 - Find the smallest set of proteins explaining all observed peptides
- If all peptides mapping to one protein family can be explained by a single protein, then it is quite likely, that only this protein is present (but this must not necessarily be the case)
- Basically: applying Occam's razor to the dataset – find the simplest explanation possible (maximum parsimony)

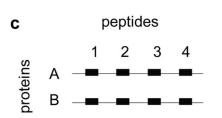


Parsimony-Based Inference

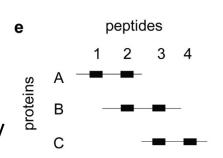
- Scenarios for different proteins given a set of observed peptides
 - Distinct proteins do not share peptides
 - Differentiable proteins can be distinguished by at least one distinct peptide
 - Indistinguishable proteins share all peptides
 - Subset proteins contain only peptides also contained in another protein
 - Subsumable proteins contain only peptides that are also contained in other proteins



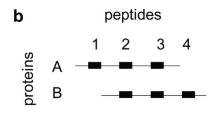
distinct proteins



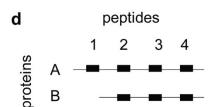
indistinguishable proteins



B: subsumable protein



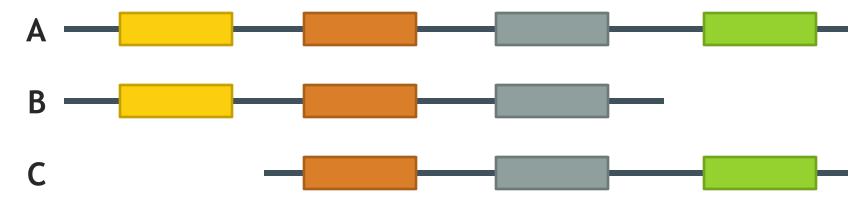
differentiable proteins



B: subset protein

Protein Ambiguity Groups

Example:



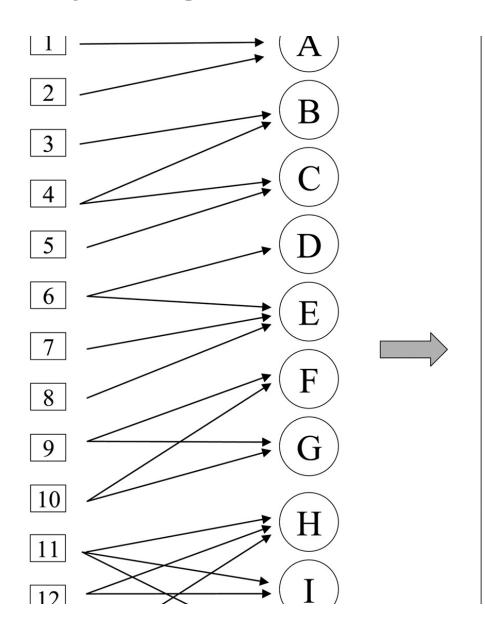
- Note that even though the presence of A is sufficient to explain all observed peptides, this does not automatically imply the absence of B and C
- The data is explained equally well by the presence of A, the presence of A + B, A + C, B + C, or A + B + C
- The set of proteins sharing one or multiple peptides is often referred to as a protein ambiguity group

Parsimony-Based Inference

- Maximum parsimony inference results in a minimal list of proteins
- It thus removes all distinct and differentiable proteins of a protein ambiguity group
- It does not contain any subsumable or subset proteins
- In the previous example, A would be sufficient to explain the observed peptides, B and C would not be reported



Reporting of PAGs



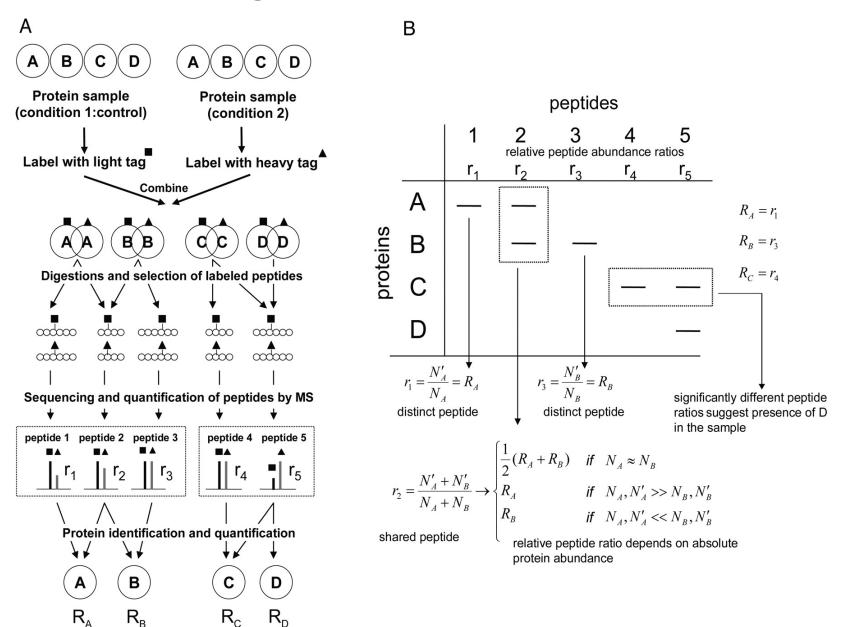
- Protein A peptides 1, 2
- Protein B peptides 3, 4*
- 3. Protein C peptides 4*, 5
- 4. Protein E peptides 6*, 7, 8
- 5. Protein F, Protein G peptides 9*, 10*
- 6. Protein group:
- (1) Protein H peptides 11*, 12*, 13*
- (2) Protein I peptides 11*, 12*
- (3) Protein J peptides 11*, 13*

"protein" count: 6

Inference through Quantification

- Quantitative data can be used for inference as well (similar to transcript data)
- This is, however, non-trivial and usually done manually and on a case-by-case basis
- Distinct peptides can be used to quantify their source proteins
- Shared peptides result in an averaging of the quantitative information
- This results in (often underdetermined) systems that can be used to quantify isoforms
- Quantitative information can also be used to prove the presence of a specific isoform (through deviating ratios of shared peptides)

Inference through Quantification



Inference through Quantification

Peptides

DGGVQACFSR H/L ratio 1.88 ± 0.3

DTKEIYTHFTCATDTK

H/L ratio 1.02 ± 0.15

LFDSICNNK

H/L ratio 1.35 \pm 0.27

ITHSPLTICFPEYTGANKYDEAASYIQSK

H/L ratio 1.1 ± 0.29

IIHEDGYSEEECR

H/L ratio 1.06 ± 0.14

LWADHGVQACFGR

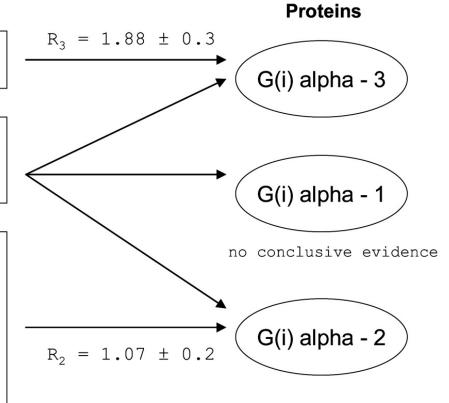
H/L ratio 1.09 ± 0.2

RLWADHGVQACFGR

H/L ratio 1.08 ± 0.1

QLFALSCTAEEQGVLPDDLSGVIRR

H/L ratio 1.01 ± 0.14



- Based on six unique and two shared peptides from a protein ambiguity group (three G proteins) one cannot decide whether G(i) alpha 1 is actually present in the sample
- Often the quantification accuracy is not sufficient to provide a conclusive result

Significance of Inferred Hits

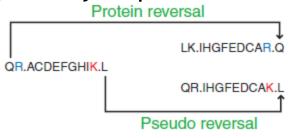
- What is the meaning of a PSM for a protein identification?
 - FDR is calculated on the PSM level
 - 1% FDR means that one in 100 identifications yields a an incorrect protein identification
- This does not mean that there is also an FDR rate of 1% on the protein level!
- In particular in large-scale studies (tens of thousands of spectra),
 protein FDRs are much higher than peptide FDRs
- PSMs for a large number of (mostly) identical samples
 - Number of correctly identified proteins does not increase significantly with the number of spectra (it is always the same proteins being identified, additional (correct) PSMs do not increase the number of proteins)
 - Number of false positives increases with the number of PSMs (yields hits to random proteins, so initially mostly novel false positives!)

One Hit Wonders

- In many cases, proteins are identified through a single PSM only
- These 'single hit wonders' have long been considered problematic: a single false PSM can lead to a wrongly identified protein
- In fact, the so-called 'Paris guidelines' for data deposition in proteomics recommend only reporting identifications for which at least two peptides have been identified
- This also became known as the 'two peptide rule'
- Obviously, just dropping a large part of PSMs is inadequate to address this problem

Recap: Target-decoy databases

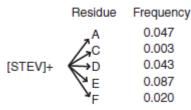
Design decoy sequences



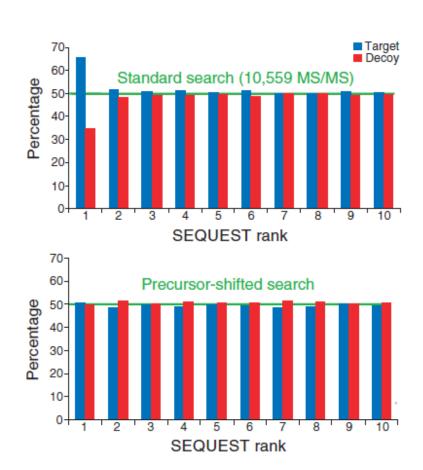
Random

| Residue | Frequency | | |
|---------|-----------|--|--|
| Α | 0.070 | | |
| C | 0.023 | | |
| D | 0.046 | | |
| E | 0.070 | | |
| F | 0.036 | | |

Markov



Separation of target and decoy results



Recap: FDR Calculation

General equation for FDR calculation (see statistics lecture)

$$FDR = \frac{FP}{FP + TP}$$

There are two ways how FDRs are calculated based on target-decoy search results:

• Käll et al. suggest (Käll et al., Proteome Res. 2008, 7, 29- 34)

$$FDR = \frac{\#decoy}{\#target}$$

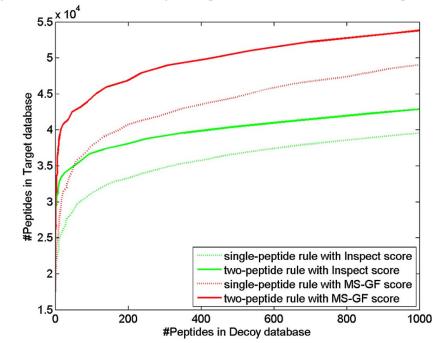
• Zhang et al. suggest (Zhang et al., J Proteome Res 2007;6(9):3549-3557)

$$FDR = \frac{2\#decoy}{\#target + \#decoy}$$

OpenMS::TOPP::FalseDiscoveryRate uses the Käll metrics

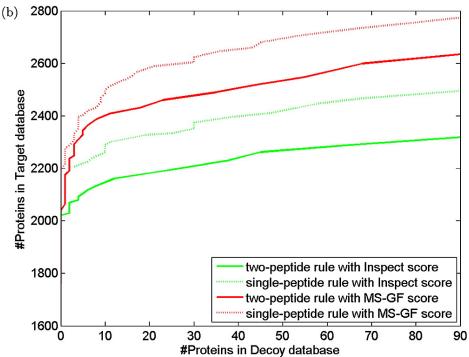
One Hit Wonders

- Gupta & Pevzner argued in 2009 that the application of the two peptide rule actually results in increased false discovery rates
- Removing one-hit wonders should improve the FDR of peptide identifications – this is indeed the case
- For a given number of decoy hits, the number of target peptides increases compared to keeping all PSMs ('single peptide rule')

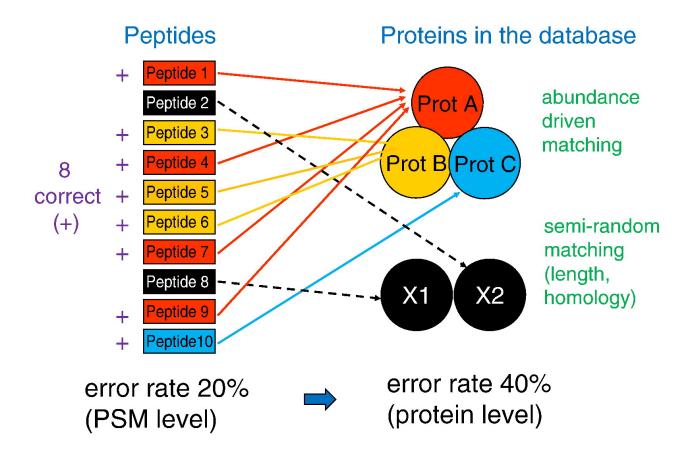


One Hit Wonders

- On the protein level things are different, however
- For the same dataset, the number of identified proteins is higher using the single peptide rule than using the two peptide rule at the same FDR!
- More peptide identifications thus do not necessarily imply a higher protein discovery rate



Protein FDRs



- Error rates increase when going from peptides to proteins
 - Correct peptide IDs tend to group into a small set of correct proteins
 - Incorrect IDs are semi-random and scatter over the whole protein database

LEARNING UNIT 9B PROTEIN PROPHET

- Peptide probability estimates
- Protein probability estimates
- Sibling peptides correction
- Degenerate peptides



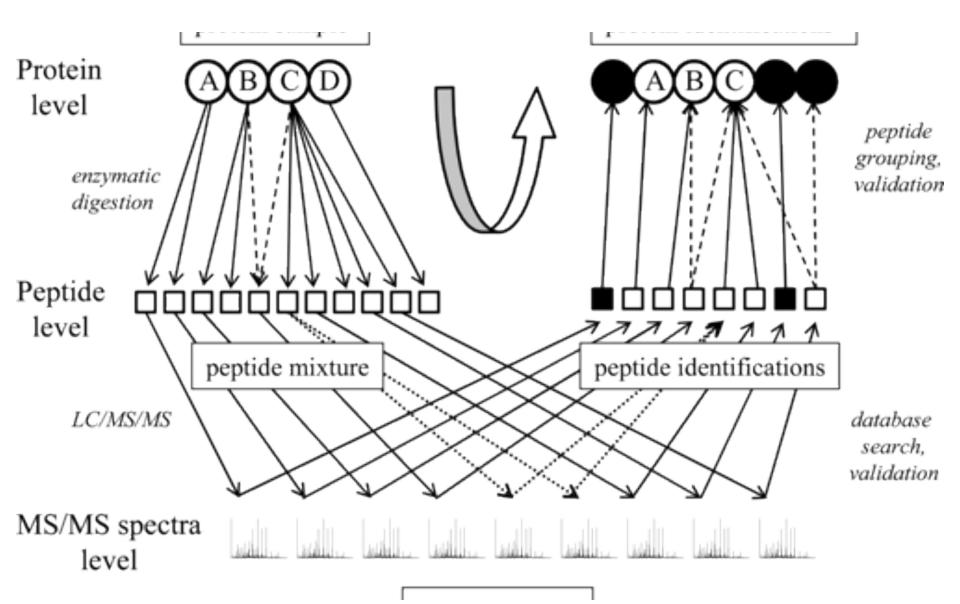
ProteinProphet

 ProteinProphet is an open-source software tool for protein inference and currently one of the standard tools in the area

Key ideas

- Maximum parsimony approaches to compile protein lists
- Reporting of protein ambiguity groups
- Protein probability estimation: estimate the probability that a given protein is correctly identified given all evidence for it

ProteinProphet - Overview



PeptideProphet

- Peptide Probability Estimates (PPE)
 - Computed by PeptideProphet
 - Converts search engine scores into a probabilities
 - Similar ideas have been discussed in the context of consensus identification
 - PeptideProphet uses expectation maximization to compute a mixture model of the score distributions of correct and incorrect PSMs
 - Given a PSM and a search engine score, we can thus compute a probability that the PSM is correct
- In contrast to a (raw) score, PPEs are a simple way to determine the trust in each individual PSM

Protein Probability Estimates

- Given the PPEs, we can easily compute the probability for each of the induced protein IDs
- Assuming all peptides are unique, we can compute the probability
 P for an protein identification as 1 minus the probability of all peptide identifications inducing this peptide being wrong
- We could do this on the peptide level quite simply as follows:

$$P=1-\prod_i (1-p_i)$$

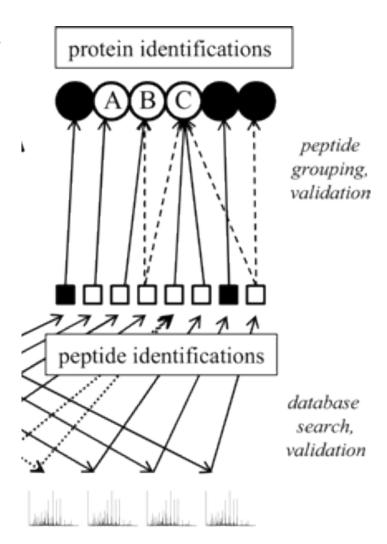
with probabilities p_i for the peptide identification of peptide I being correct

 However, we also need to consider multiple evidence for different spectra giving evidence for the same peptide

Protein Probability Estimates

- We thus need to consider probabilities for each PSM independently
- Each PSM is assigned a PPE by PeptideProphet
- Probability that a protein is **not** present in a sample despite its PSMs
 depends on the probabilities p(+|Dⁱ/_i)
 for the peptide ID of peptide i based
 on the observed data (spectrum) j
 being correct
- We can thus compute P based on PPEs of all PSMs:

$$P = 1 - \prod_{i} \prod_{j} (1 - p(+|D_{i}^{j}))$$



Protein Probability Estimates

- There are a few problems with this:
 - PSMs are not independent

There is a high probability for multiple spectra of the same peptide to hit the same incorrect ID if the spectra are of high quality, but do not match the database (e.g., due to post-translational modification)

Ambiguous peptide-protein matches

If a peptide matches multiple proteins, its evidence cannot simply be shared across these proteins

Protein Probability Estimates

- A simple way to deal with multiple PSMs is to
 - Include each peptide just once
 - Consider only the PSM with the best PPE of all PSMs to the same peptide:

$$p_i = \max_i p(+|D_i^i)$$

P would then be computed as follows:

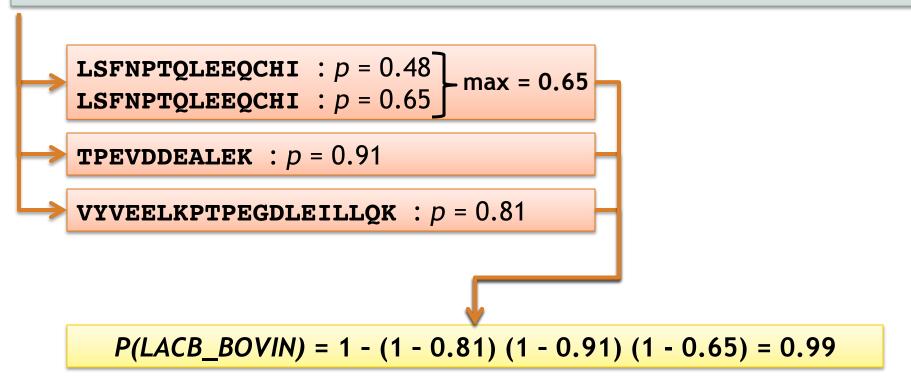
$$P = 1 - \prod_{i} (1 - \max_{j} p(+|D_{i}^{j})) = 1 - \prod_{i} (1 - p_{i})$$

This procedure yields a more conservative estimate of protein probabilities

ProteinProphet

Example:

```
>gi|125910|sp|P02754.3|LACB_BOVIN
MKCLLLALALTCGAQALIVTQTMKGLDIQKVAGTWYSLAMAASDISLLDAQSAPLRVYVEELKPTPEGDL
EILLQKWENGECAQKKIIAEKTKIPAVFKIDALNENKVLVLDTDYKKYLLFCMENSAEPEQSLACQCLVR
TPEVDDEALEKFDKALKALPMHIRLSFNPTQLEEQCHI
```



- Correct assignments tend to cluster to the same proteins
- Incorrect assignments tend to be hits to proteins with no other assigned peptides
- As a result, the computed PPEs, while correct in the context of the whole
 dataset, need to be corrected for an accurate estimate in the context of their
 source protein
- ProteinProphet introduces the notion of sibling peptides
- Sibling peptides are peptides hitting the same protein
- Rather than counting them, ProteinProphet defines the number of sibling peptides NSP; for a peptide i as the sum of the PPEs:

$$\mathsf{NSP}_i = \sum_{\{m \mid m \neq i\}} p(+|D_m)$$

where the sum runs over all peptides m hitting the same protein as i and PPEs p_i are the maximum values for a given peptide reached in the dataset

Example:

```
>gi|125910|sp|P02754.3|LACB_BOVIN
MKCLLLALALTCGAQALIVTQTMKGLDIQKVAGTWYSLAMAASDISLLDAQSAPLRVYVEELKPTPEGDL

<u>EILLQK</u>WENGECAQKKIIAEKTKIPAVFKIDALNENKVLVLDTDYKKYLLFCMENSAEPEQSLACQCLVR

<u>TPEVDDEALEK</u>FDKALKALPMHIR<u>LSFNPTQLEEQCHI</u>
```

```
LSFNPTQLEEQCHI : p = 0.48
LSFNPTQLEEQCHI : p = 0.65
TPEVDDEALEK : p = 0.91
VYVEELKPTPEGDLEILLQK : p = 0.81
                NSP(VYV...) = 0.91 + 0.65 = 1.56
                NSP(TPE...) = 0.65 + 0.81 = 1.46
                NSP(LSF...) = 0.91 + 0.81 = 1.72
```

After: Nesvizhskii, et al., Anal. Chem. (2003), 75, 4646-4658

- Intuitively, one would trust identifications with a high NSP more than those with a low NSP (more evidence per protein)
- We can thus refine PPEs in the context of the source protein as follows:

$$p(+|D, NSP) = \frac{p(+|D)p(NSP|+)}{p(+|D)p(NSP|+) + p(-|D)p(NSP|-)}$$

with

- p(NSP|+) and p(NSP|-) being the probabilities of having a particular NSP value for correct/incorrect assignments
- p(+|D) and p(-|D) are the uncorrected probabilities for the peptide assignment being correct/incorrect

- Values for p(NSP|+) and p(NSP|-) can be computed for the whole dataset
- NSP values are binned and counted for correct and incorrect assignments

$$p(NSP|+) = \frac{1}{Np(+)} = \sum_{\{i|NSP_i \in k\}} p(+|D_i, NSP_i)$$

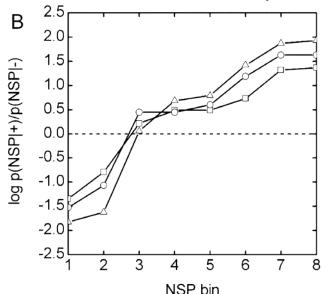
where N is the total number of peptides assignments and p(+) is the prior probability of a peptide identification being correct

 p(+) can be computed by summation over all peptide identifications of the dataset:

$$p(+) = \frac{1}{N} \sum_{i} p(+|D_i, NSP_i)$$

NSP Distributions

- NSP distributions can be determined using expectation maximization
- As a first guess, unadjusted p(+|D) values are used to compute an estimated NSP value for each assignment
- Applying EM then yields adjusted probabilities, this is repeated until convergence has been reached
- NSP distributions depend on the dataset and the dataset size

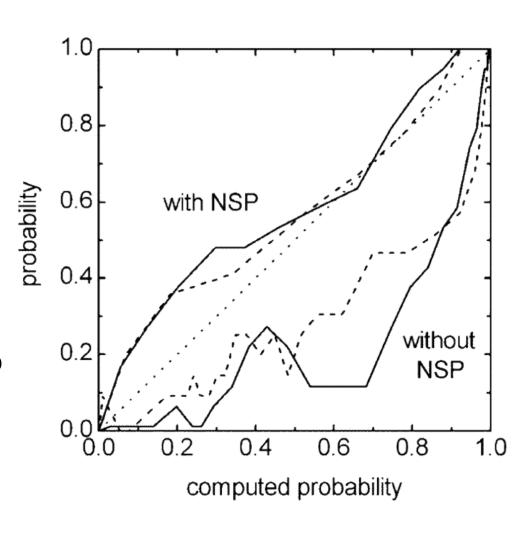


NSP distribution for datasets of varying size:

- squares: single run of a lowcomplexity sample
- circles: four runs of the same sample
- triangles: 22 runs

Influence of NSP Correction

- NSP correction yields better predictions of protein probabilities
- Figure on the right shows the predicted vs. true protein probabilities with and without NSP
- Different lines correspond to different datasets
- Dotted line: perfect prediction



Protein Ambiguity

- Shared peptides within a PAG cause issues as well
- Their probabilities can be distributed over their potential source proteins through a weighting scheme based on the protein probabilities:

$$P_n = 1 - \prod_i (1 - w_i^n p(+|D_i))$$
 $w_i^n = \frac{P_n}{\sum_{s=1...N_s} P_s}$

• Weights w_i^n are again estimated iteratively using an EM-like algorithm

Protein Ambiguity Group

| PROTEIN GROUP 1: "flagellin_precursor" | | | | | |
|--|--------------------------------|----------------------------|----------|--------|---|
| 1 FLA4_HALN1 1.00 | | | | | |
| | | 3077) Flagellin B2 p | recursor | | |
| | 1.00 1 | INTAGY | 1.00 | / 1.00 | 4 |
| | 1.00 1 | STIQWIGPDTATTL | 1.00 | / 1.00 | 4 |
| | 1.00 2 | GSATGEEASAQVSNR | 1.00 | / 1.00 | 4 |
| | 1.00 2 | ANVPESLK | 0.92 | / 0.90 | 4 |
| | 1.00 1 | | 0.86 | / 0.83 | 4 |
| 2 | FLA1 HALN1 0.00 |) | | | |
| | | 3074) Flagellin Al p | recursor | | |
| | | GSATGEEASAQVSNR | | / 1.00 | 4 |
| | 0.00 1 | STIOWIGPDTATTL | | / 1.00 | 3 |
| | 0.00 2 | STIQWIGPDTATTL ANVPESLK | | / 0.90 | 4 |
| | 0.00 1 | | | / 0.83 | 4 |
| | | 111110111 | 0.00 | , 0100 | , |
| 3 | | | | | |
| | >Q9HQT8 Flagelli | | | | |
| | | GSATGEEASAQVSNR | | / 1.00 | 3 |
| | 0.00 1 | | | / 0.83 | 3 |
| | 0.00 2 | ANVPESLK | 0.78 | / 0.90 | 2 |
| 4 Q9HQX4 FLA3_HALN1 0.00 | | | | | |
| | >Q9HQX4 Flagellin B3 precursor | | | | |
| | >FLA3_HALN1 (P13 | 3076) Flagellin Bl p | recursor | | |
| | 0.00 2 | GSATGEEASAQVSNR | 1.00 | / 1.00 | 2 |
| | 0.00 1 | INTAGY | 1.00 | / 1.00 | 2 |
| | 0.00 1 | INIVSAY | 0.83 | / 0.83 | 2 |

LEARNING UNIT 9C PROTEIN FDR CALCULATION

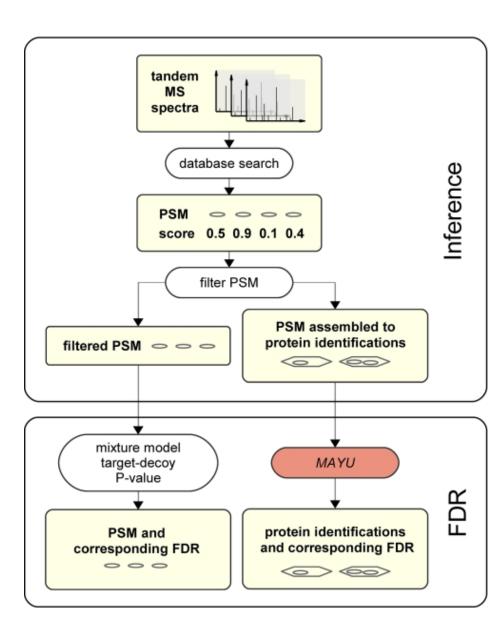
- Protein FDR calculation
- MAYU

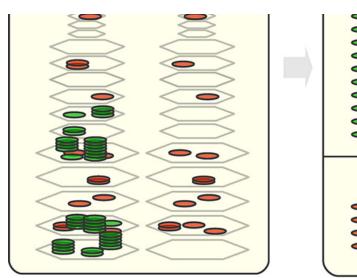


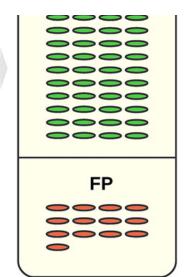
Estimating Protein FDRs

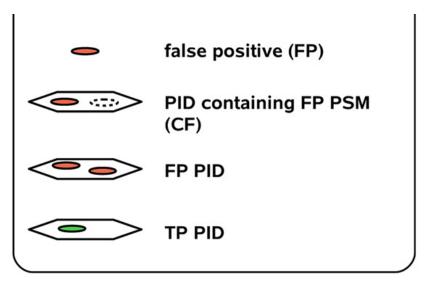
- Peptides FDRs do not correspond to protein FDRs
- Currently, large-scale studies often have dozens or hundreds of LC-MS runs that are being accumulated
- Repeated measurements lead to an accumulation of false positive identifications
- As a rule of thumb, protein FDR increases linearly with the number of repeat measurements
- FDRs can be estimated in the same fashion as
 PSM FDRs through a naïve target-decoy approach

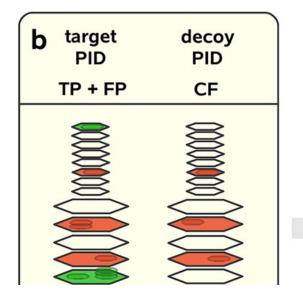
- MAYU estimates protein FDRs for large-scale datasets
- The approach is similar to the PSM FDR determination done in PeptideProphet, but on the level of proteins
- MAYU fits a hypergeometric distribution to determine the expected number of false positives











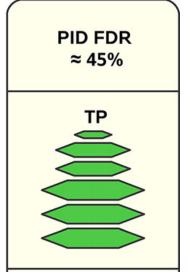
estimate of FP PID hypergeometric distribution

 h_t : 11 target PID h_{cf} : 7 decoy PID

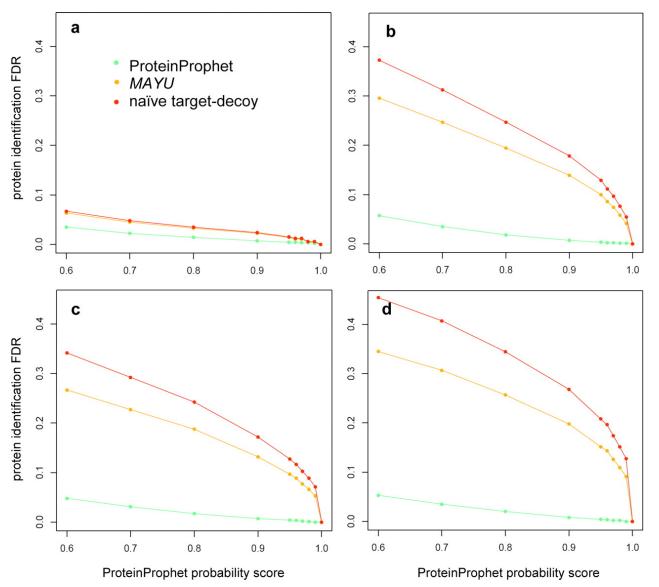
N: 19 protein database entries

 $P(\,h_{fp}\mid h_{tp},\,h_{cf},\,N\,),\quad h_{tp}=h_t-h_{fp}$

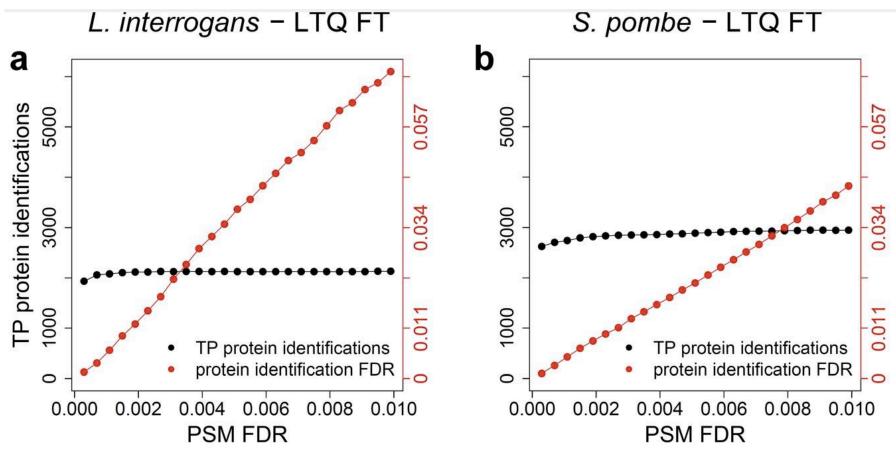
 h_{fp} : estimated 5 FP PID



MAYU vs. ProteinProphet

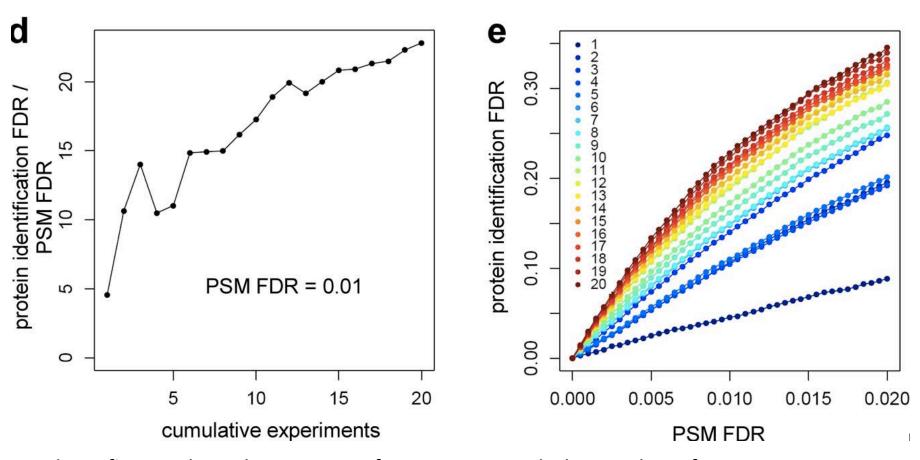


- a. 1 run
- b. 5 runs
- c. 10 runs
- d. 20 runs



- Interestingly, increasing the PSM FDR does not yield an increased rate of true protein identification
- Currently popular values of 1-5% PSM FDR seem to be much to high and yield very large protein FDRs (>10%)

Reiter et al., Mol. Cell. Proteomics, 2009, 8, 2405-2417

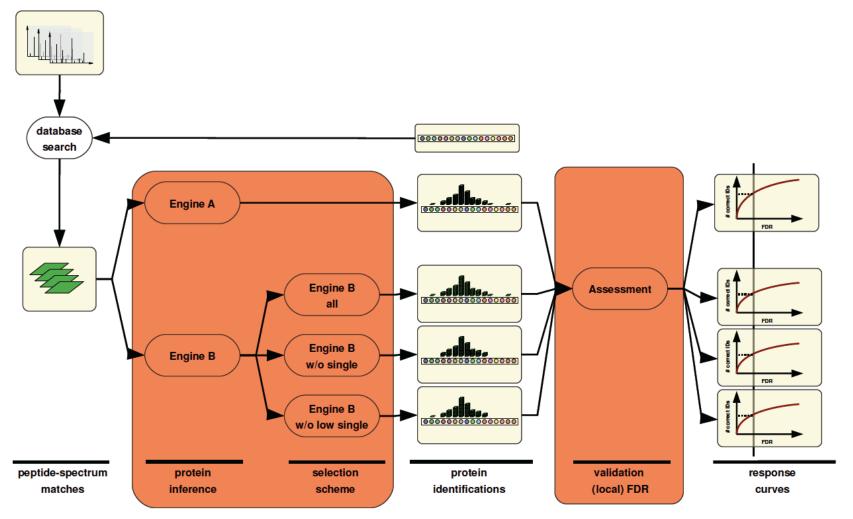


- These figures show the increase of protein FDR with the number of repeat measurements (right: color = number of runs)
- As can be seen from these plots, large-scale studies are particularly prone to FP accumulation
- Protein FDRs can thus easily reach values of over 50%, i.e. half of reported protein identifications can be incorrect!

 Reiter et al., Mol. Cell. Proteomics, 2009, 8, 2405-2417

Benchmarking Inference Engines

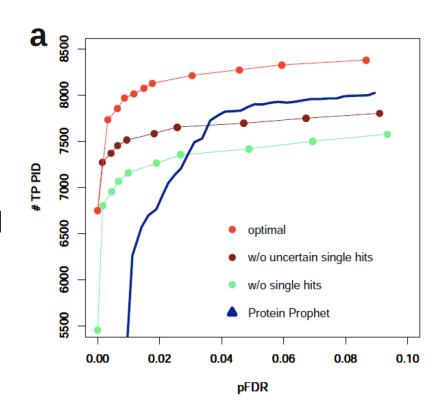
 With MAYU it is possible to benchmark different protein inference engines and PSM selection strategies (e.g., two-peptide vs. single-peptide rule)



Benchmarking Inference Engines

Conclusions

- Keep all high quality hits, independent of whether they are single-hit wonders or not
- Stringent FDR filtering on the PSM level is required to get a good protein FDR
- Optimal strategy might depend on the dataset and on the organism (database size!)



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One-hit wonders, two peptide rule

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